

# Ab-initio study of the temperature effects on the optical properties of transition metal dichalcogenides

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# Motivation

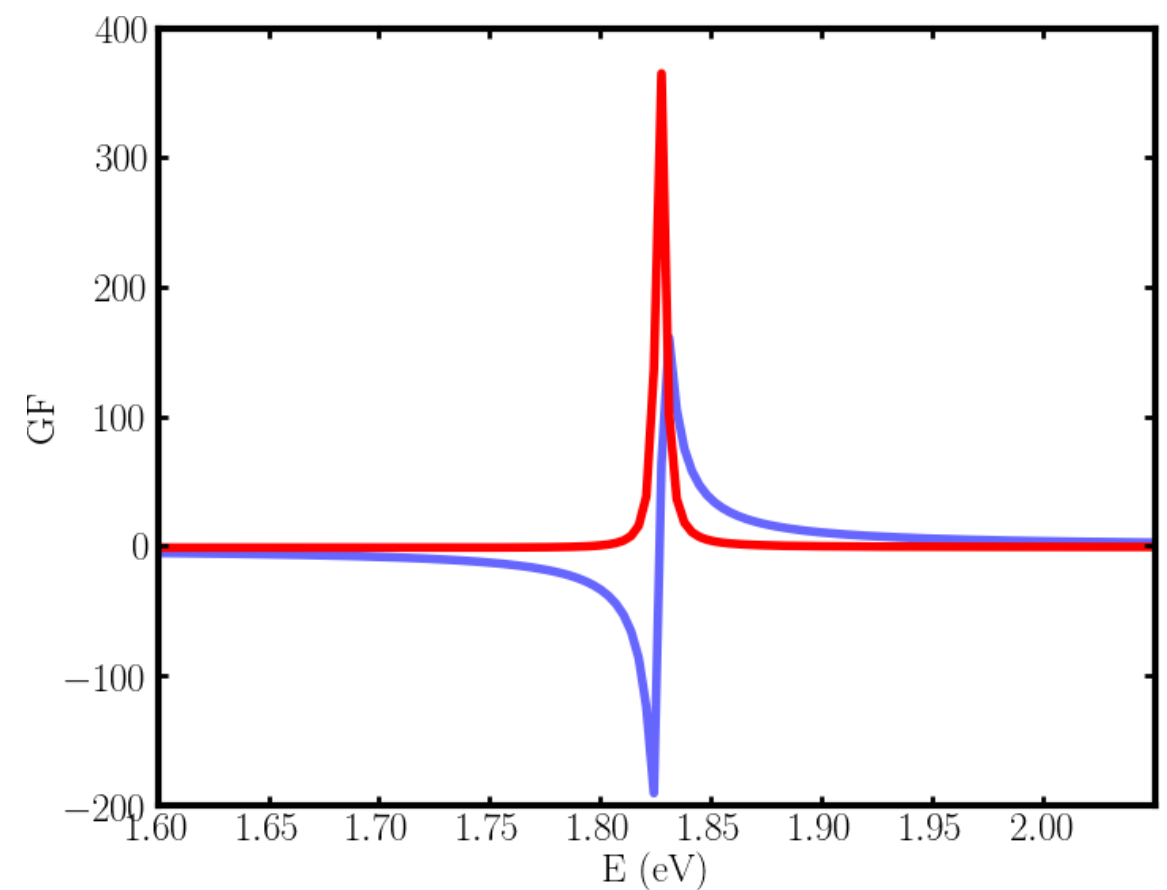
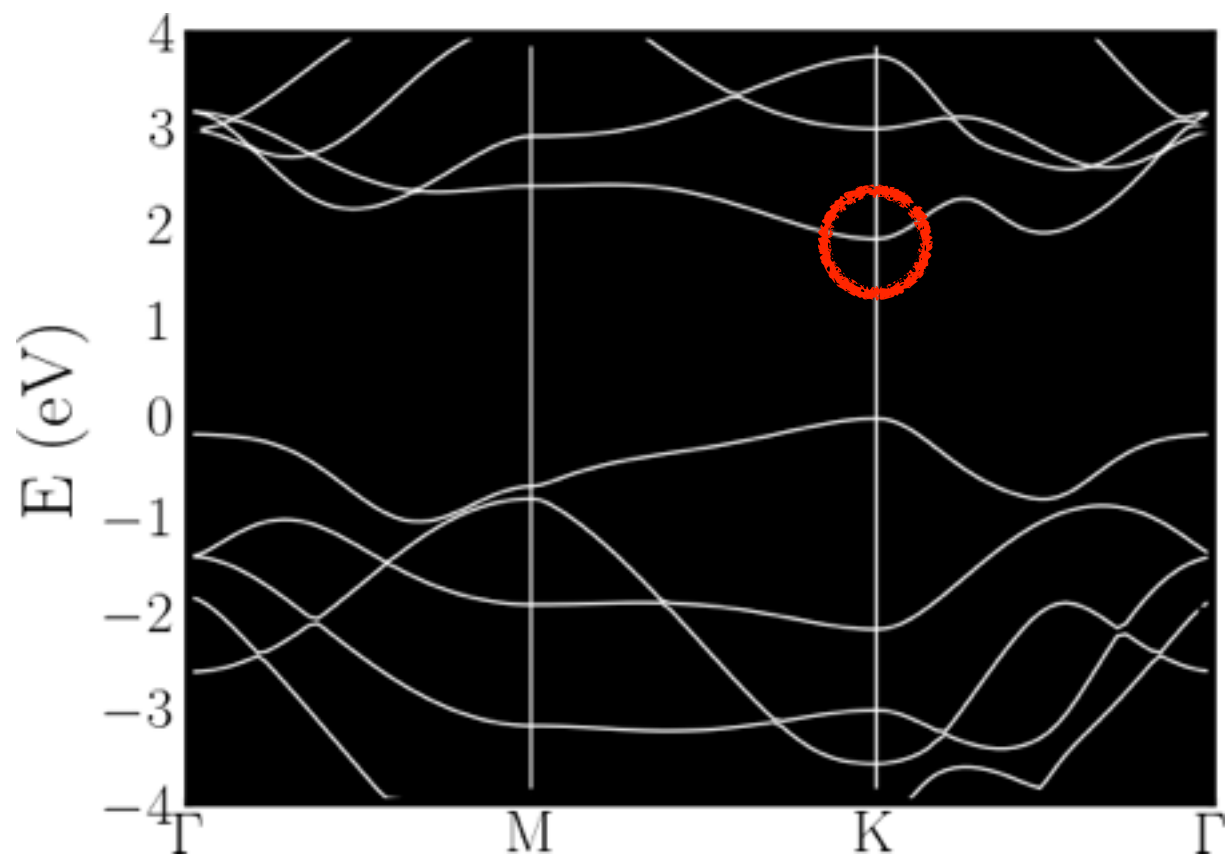
Realistic description of electronic structure, electron-lattice interaction

Temperature effects: bandgap renormalization, finite lifetime for electrons and excitons

First step for a carrier relaxation study. Application in valley depolarization, ultra-fast spectroscopy

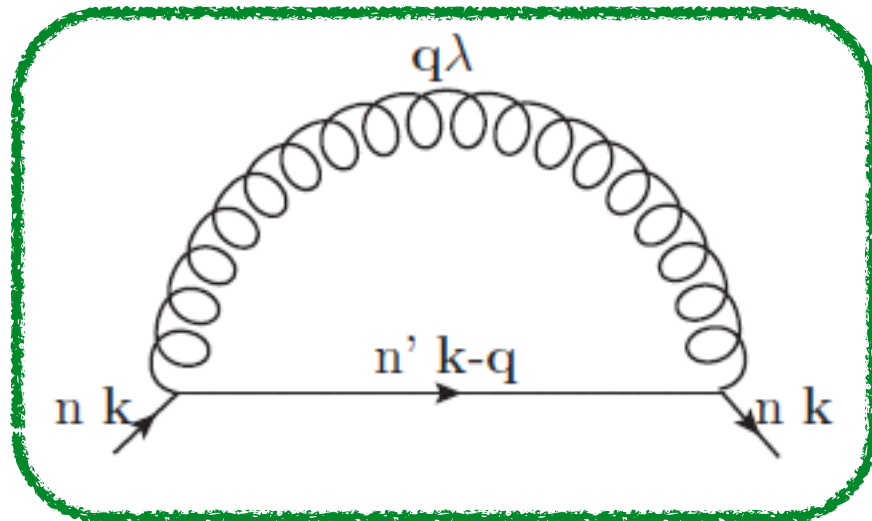
# A few formulas...

$$\bar{H} = \boxed{\bar{H}_{el}} + \bar{H}_{ion} + \bar{H}_{el-ion}$$



Without lattice-interaction: Electronic states have infinite lifetimes  
Reality: Lattice-interaction gives them a finite lifetime

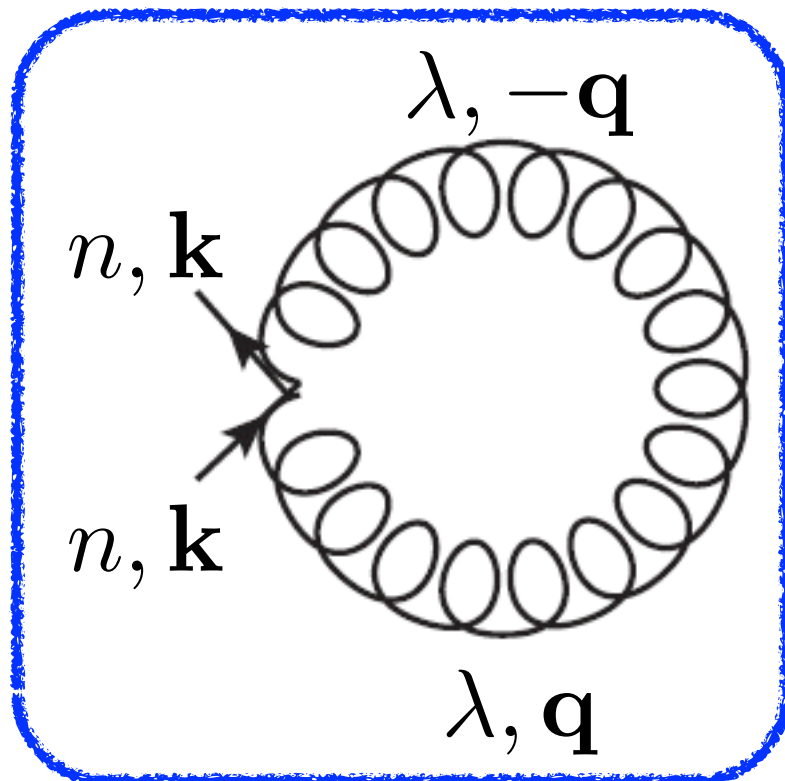
# A few formulas...



Scattering of an electron by a phonon

Temperature enters via population of phonon states

$$\Sigma_{n\mathbf{k}}^{Fan}(i\omega_i, T) = \sum_{\mathbf{q}\lambda n'} \frac{|g_{nn'\mathbf{k}}^{\mathbf{q}\lambda}|^2}{N_{\mathbf{q}}} \left[ \frac{N_{\mathbf{q}\lambda}(T) + 1 - f_{n'\mathbf{k}-\mathbf{q}}}{i\omega - \varepsilon_{n'\mathbf{k}-\mathbf{q}} - \omega_{\mathbf{q}\lambda} - i0^+} + \frac{N_{\mathbf{q}\lambda}(T) + f_{n'\mathbf{k}-\mathbf{q}}}{i\omega - \varepsilon_{n'\mathbf{k}-\mathbf{q}} + \omega_{\mathbf{q}\lambda} - i0^+} \right]$$



$$\Sigma_{n\mathbf{k}}^{DW}(T) = \sum_{\mathbf{q}\lambda} \Lambda_{nn\mathbf{k}}^{\mathbf{q}\lambda, -\mathbf{q}\lambda} (2N_{\mathbf{q}\lambda}(T) + 1)$$

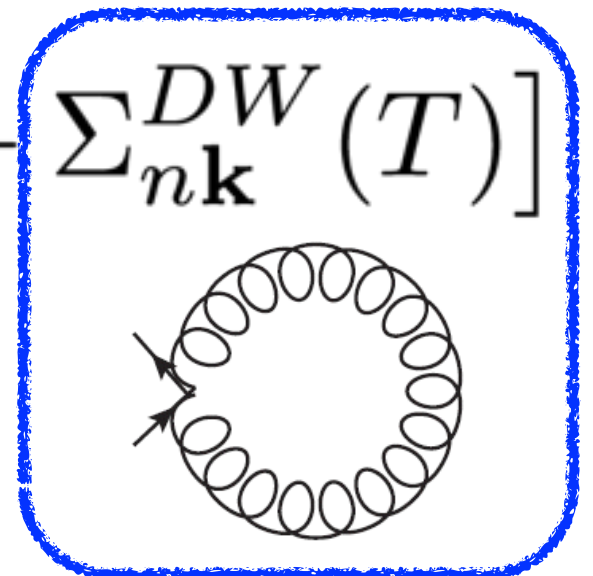
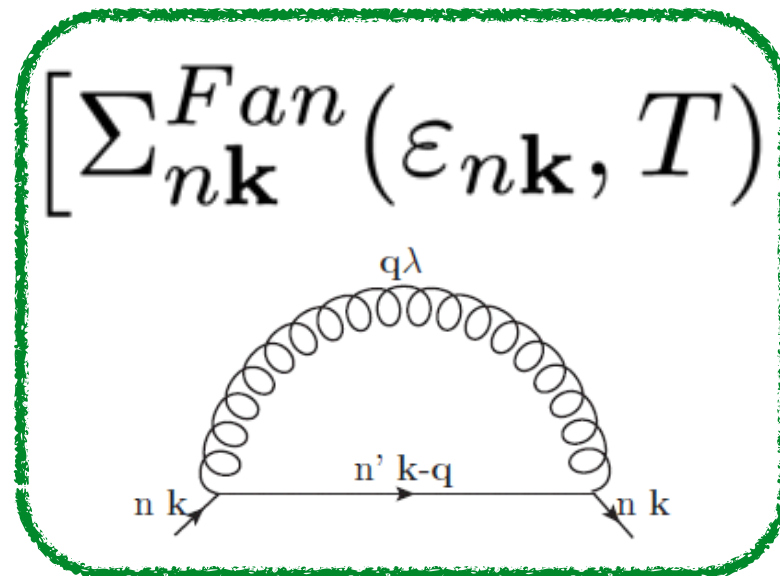
Two-phonon scattering process

# Quasiparticle approximation

$$E_{n\mathbf{k}} = \varepsilon_{n\mathbf{k}} + Z_{n\mathbf{k}} \left[ \Sigma_{n\mathbf{k}}^{Fan}(\varepsilon_{n\mathbf{k}}, T) + \Sigma_{n\mathbf{k}}^{DW}(T) \right]$$

Complex  
energy

Bare  
energy



$$A_{n\mathbf{k}}(\omega, T) = \frac{Z_{n\mathbf{k}}(T) |\Gamma_{n\mathbf{k}}(T)|}{\pi [(\omega - \Re[E_{n\mathbf{k}}](T))^2 + \Gamma_{n\mathbf{k}}^2(T)]}$$

$g_{nn'\mathbf{k}}^{q\lambda}$



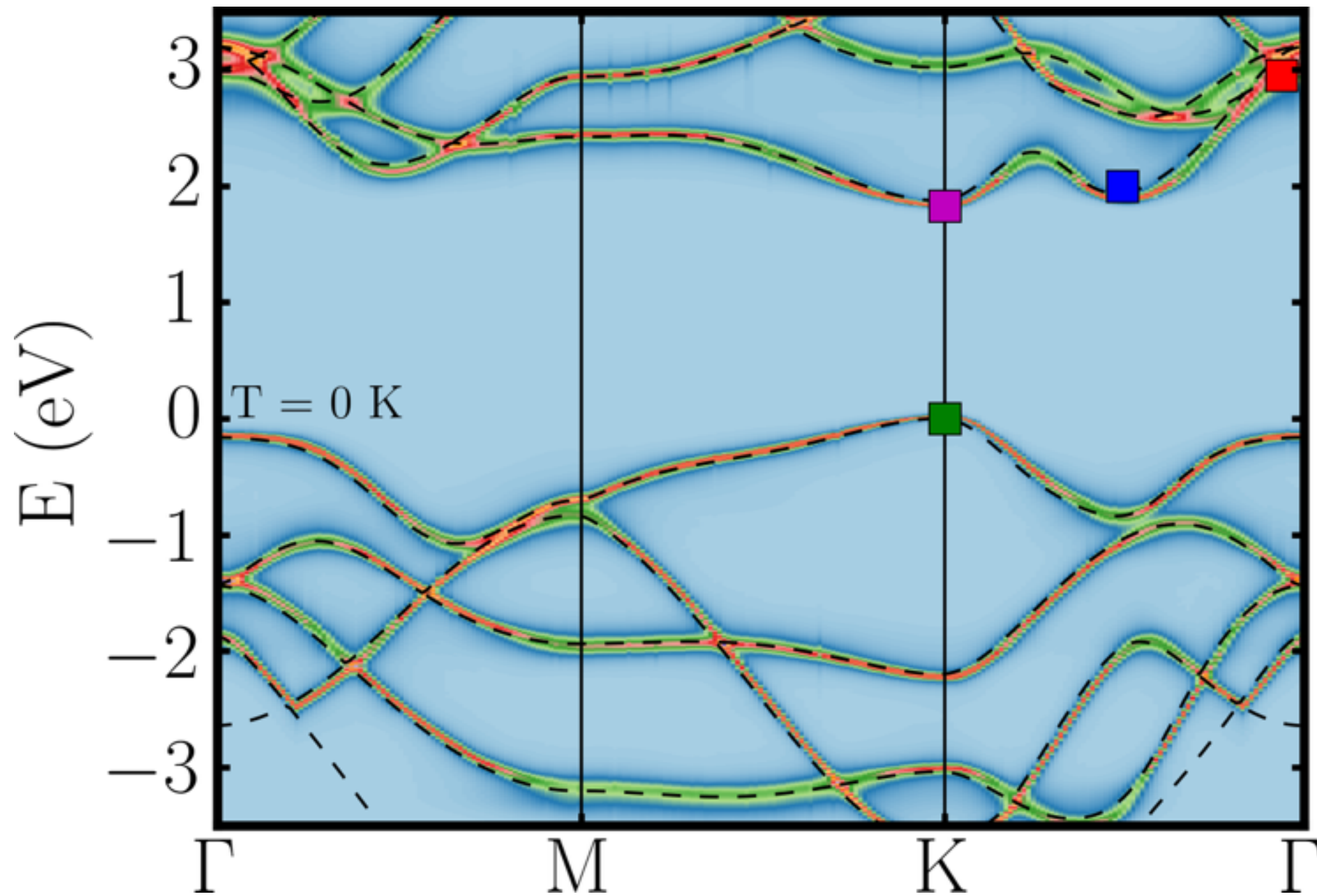
DFPT

$\Sigma_{n\mathbf{k}}(T)$



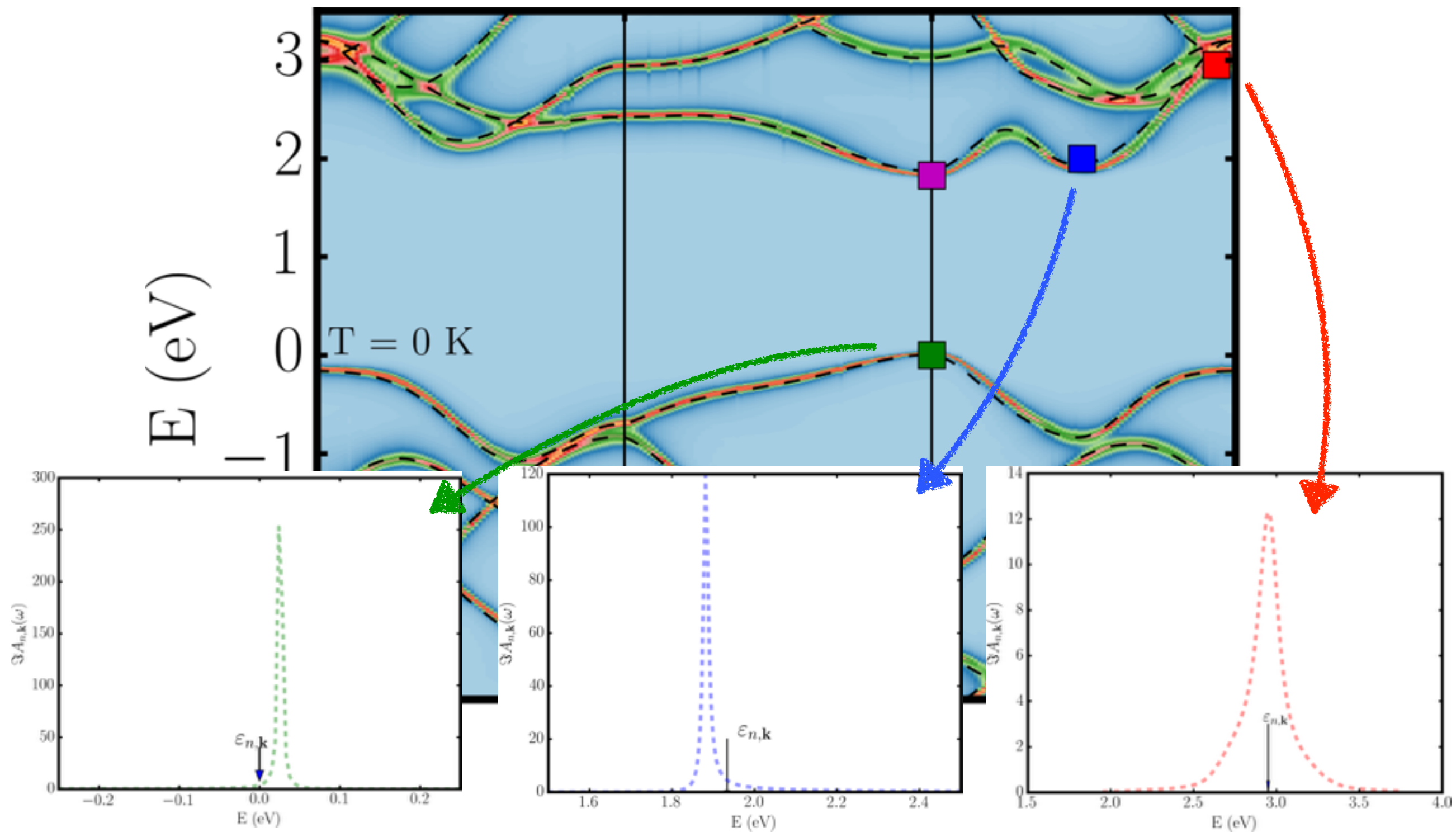
MBPT

# Single-layer MoS

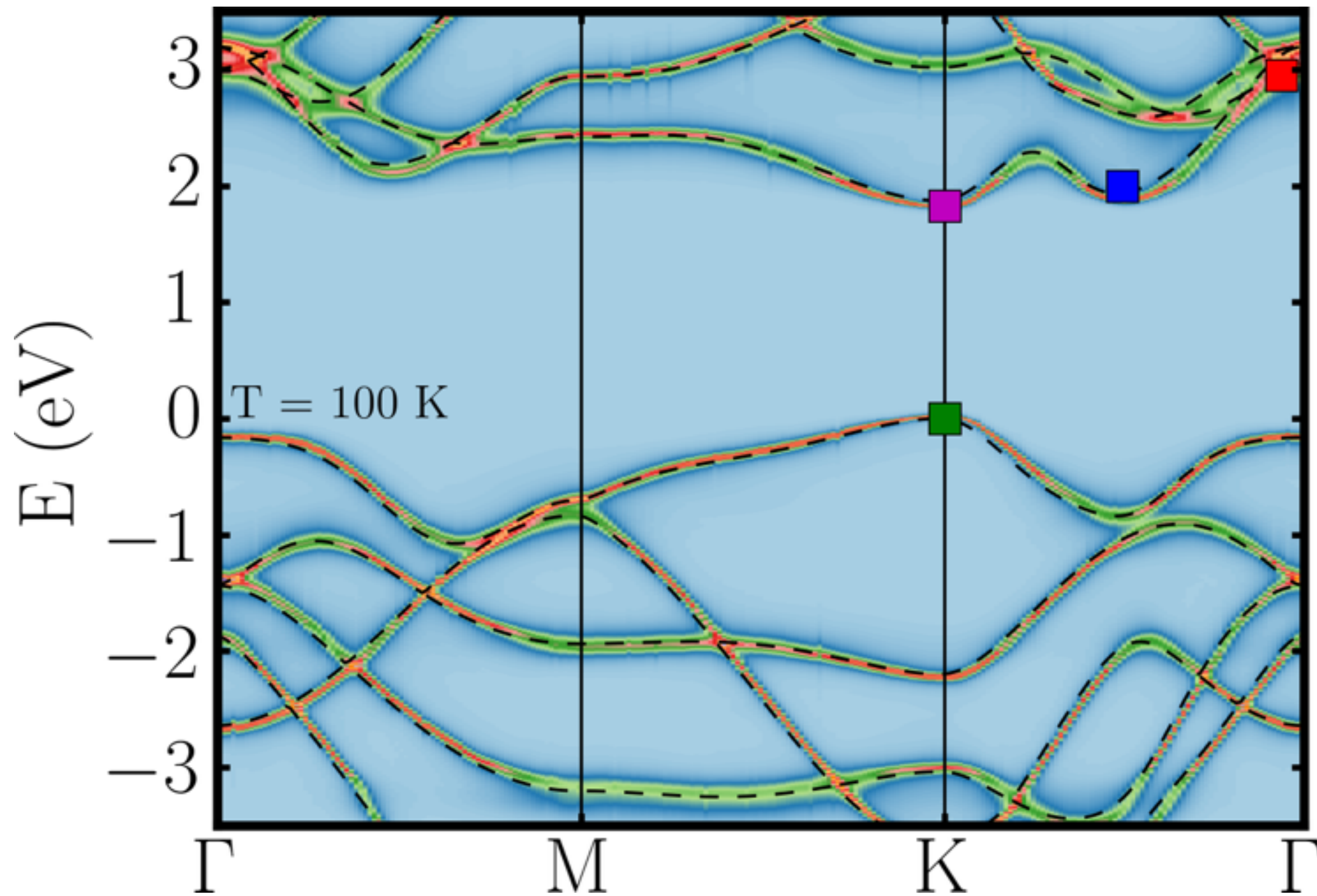




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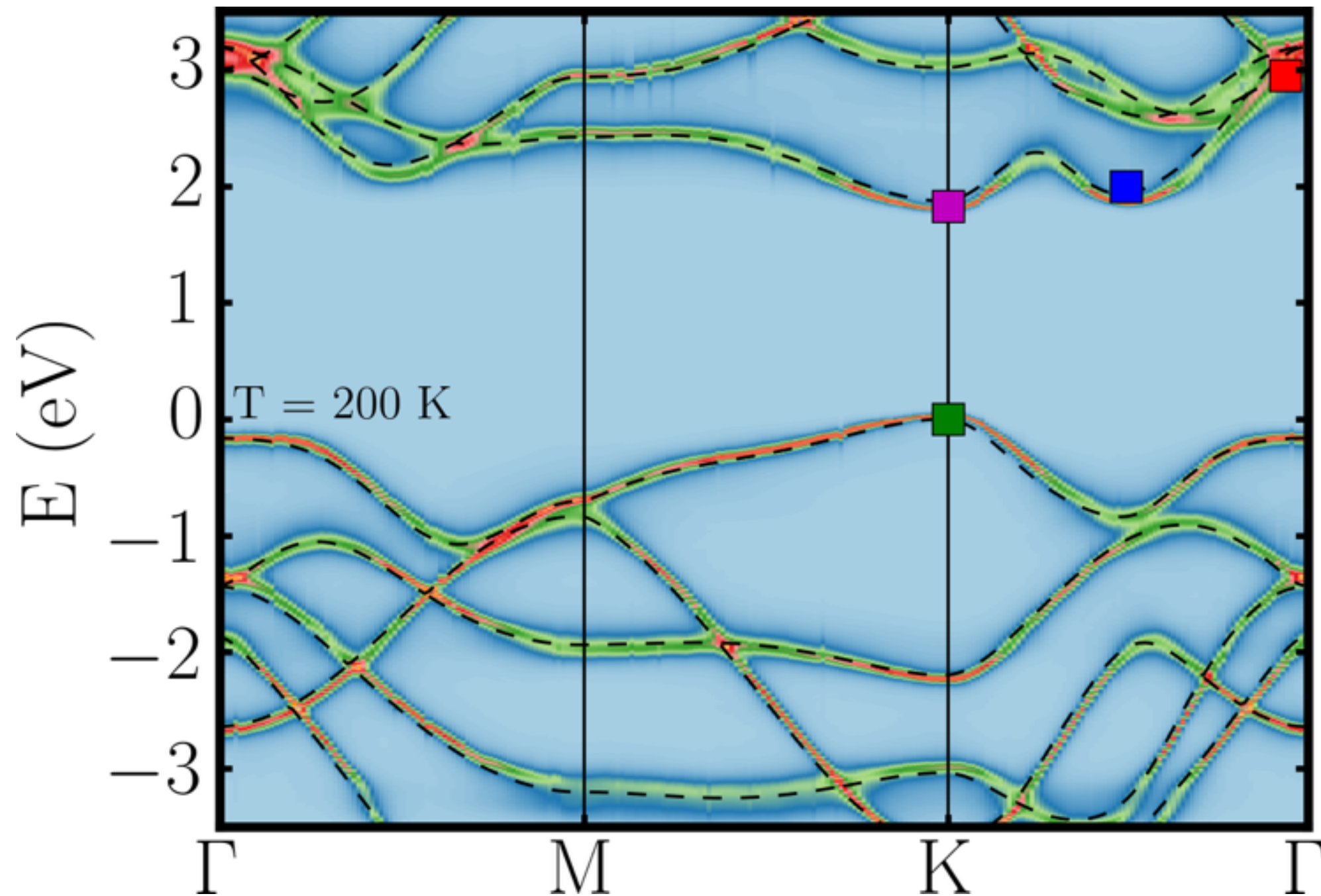


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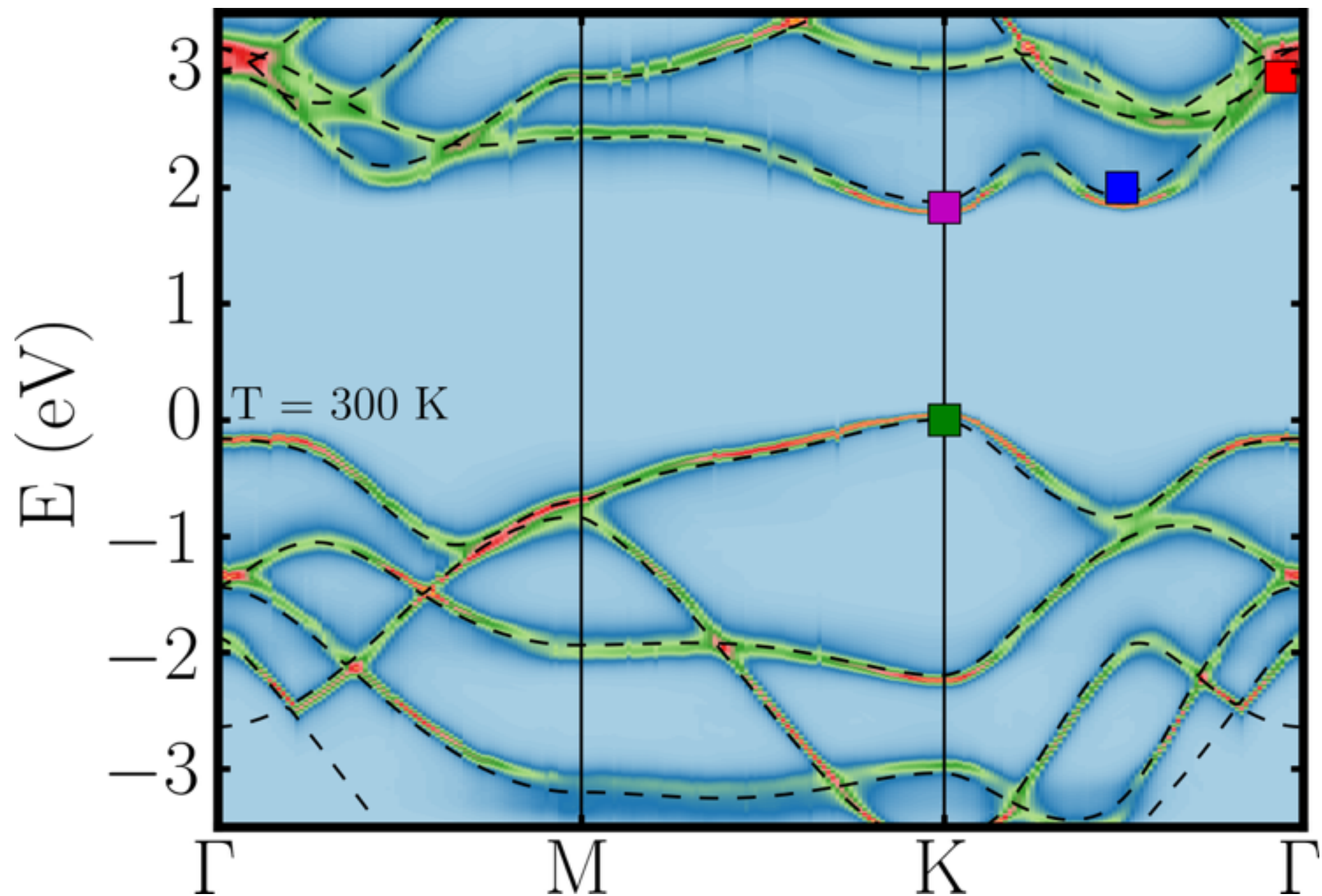




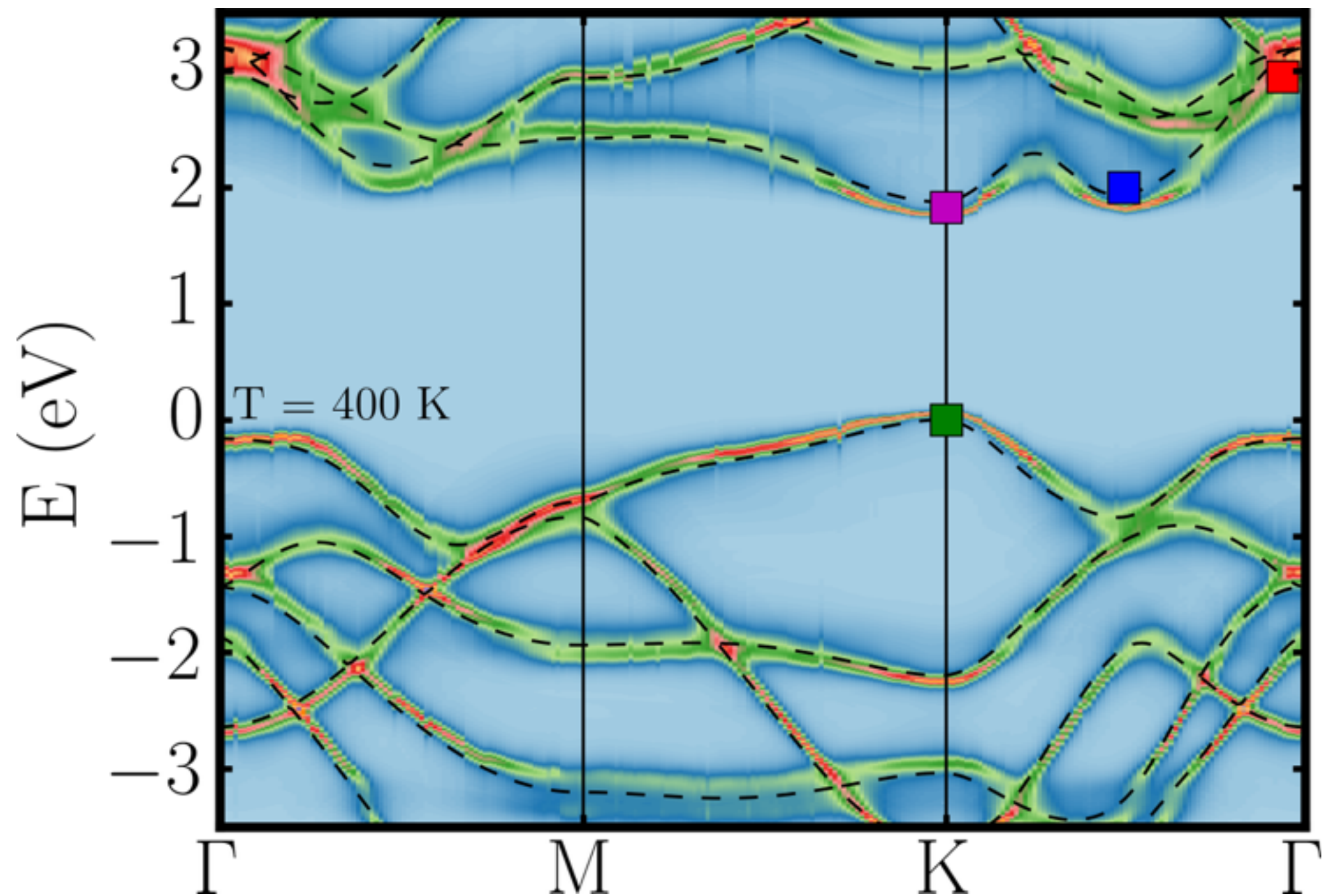
# Single-layer MoS



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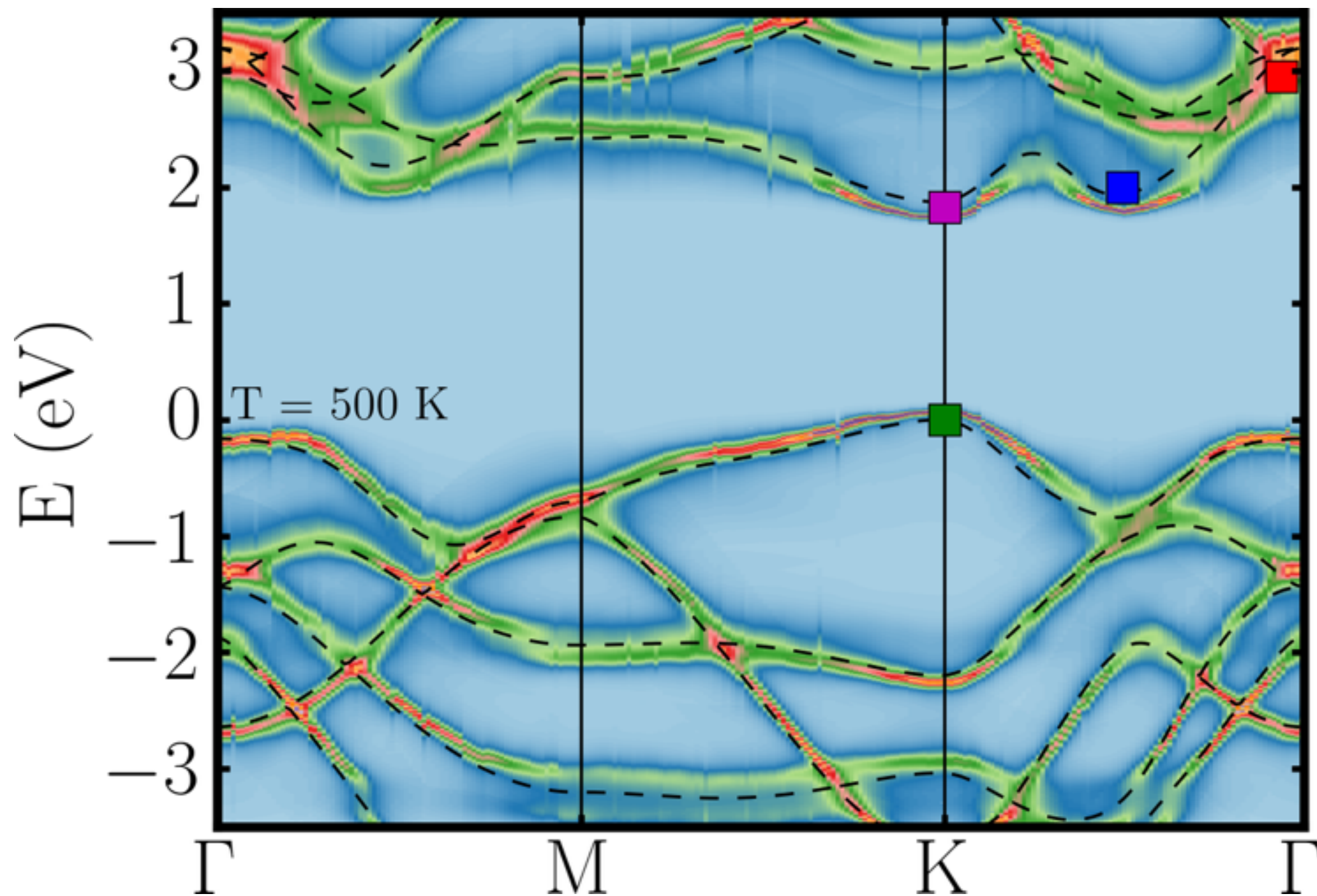


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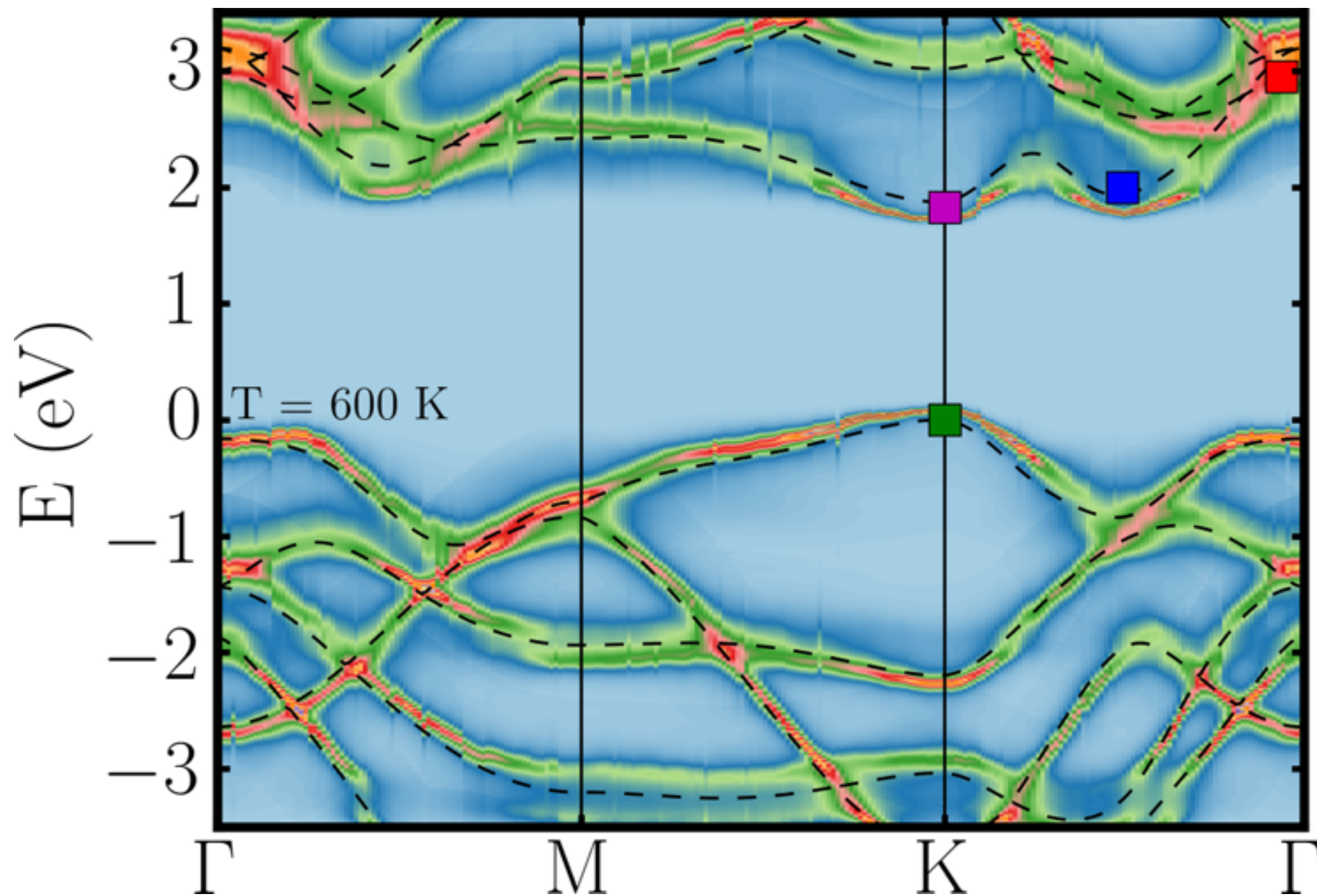




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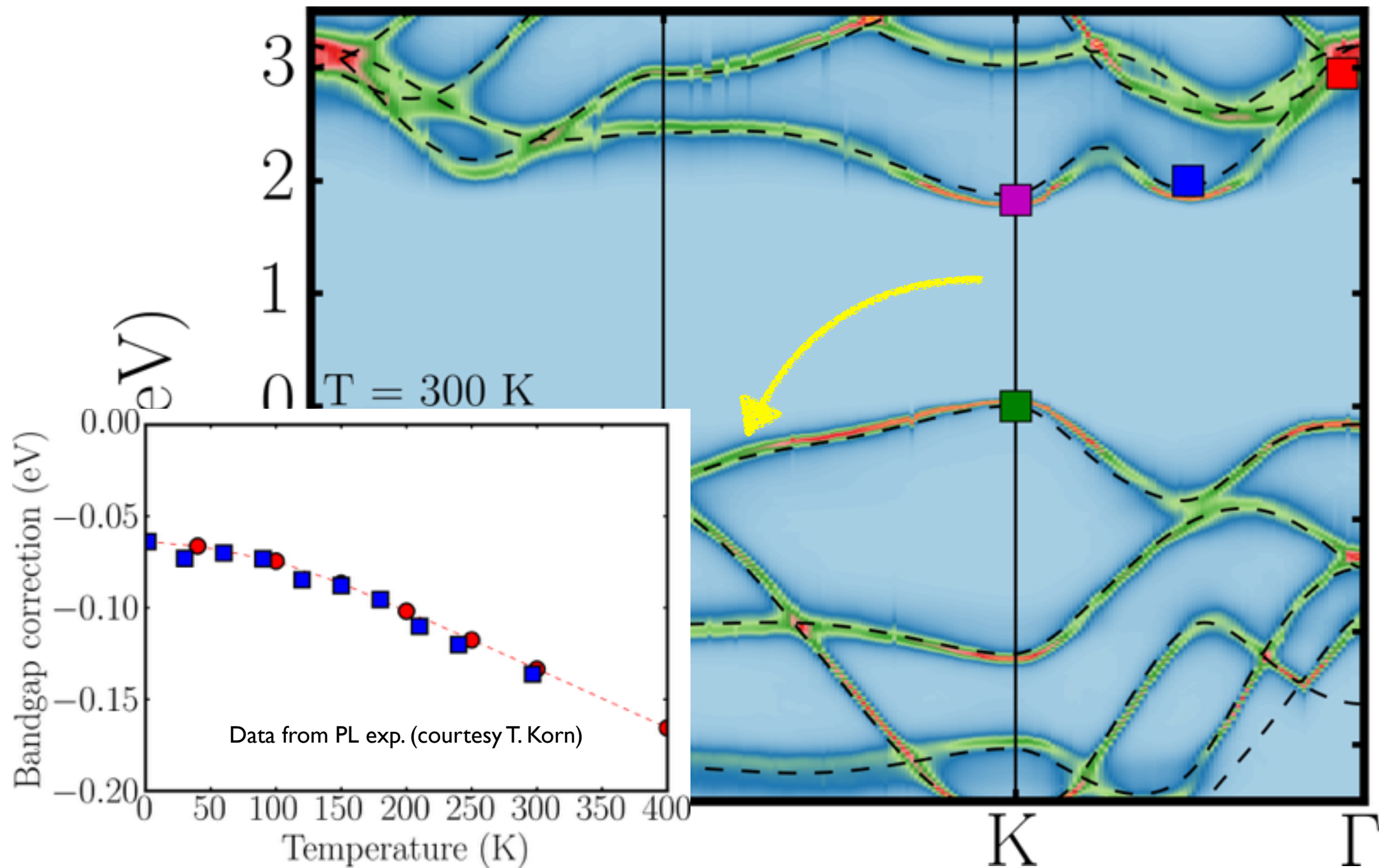


# Single-layer MoS



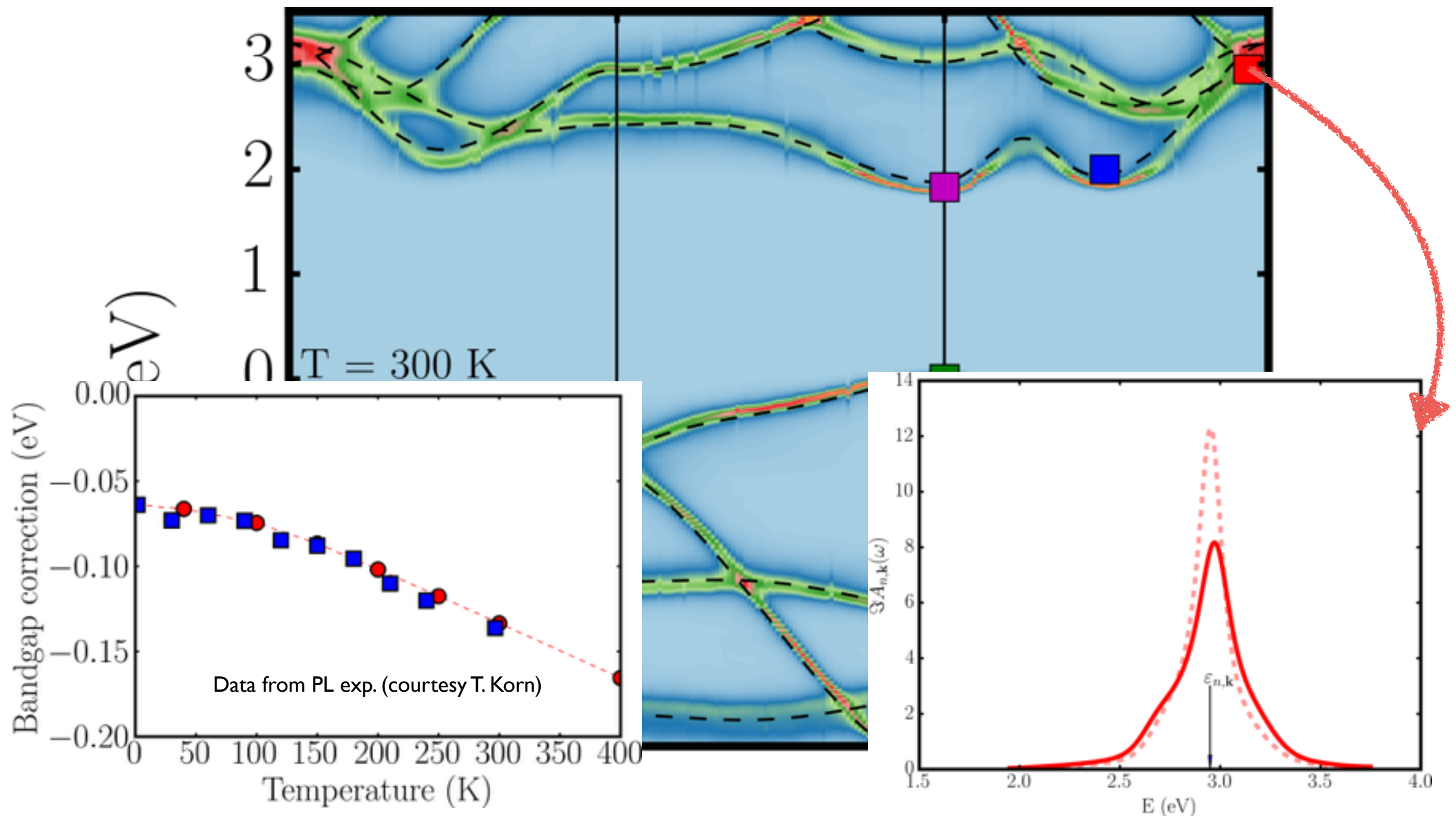


# Single-layer MoS



Bandgap renormalization

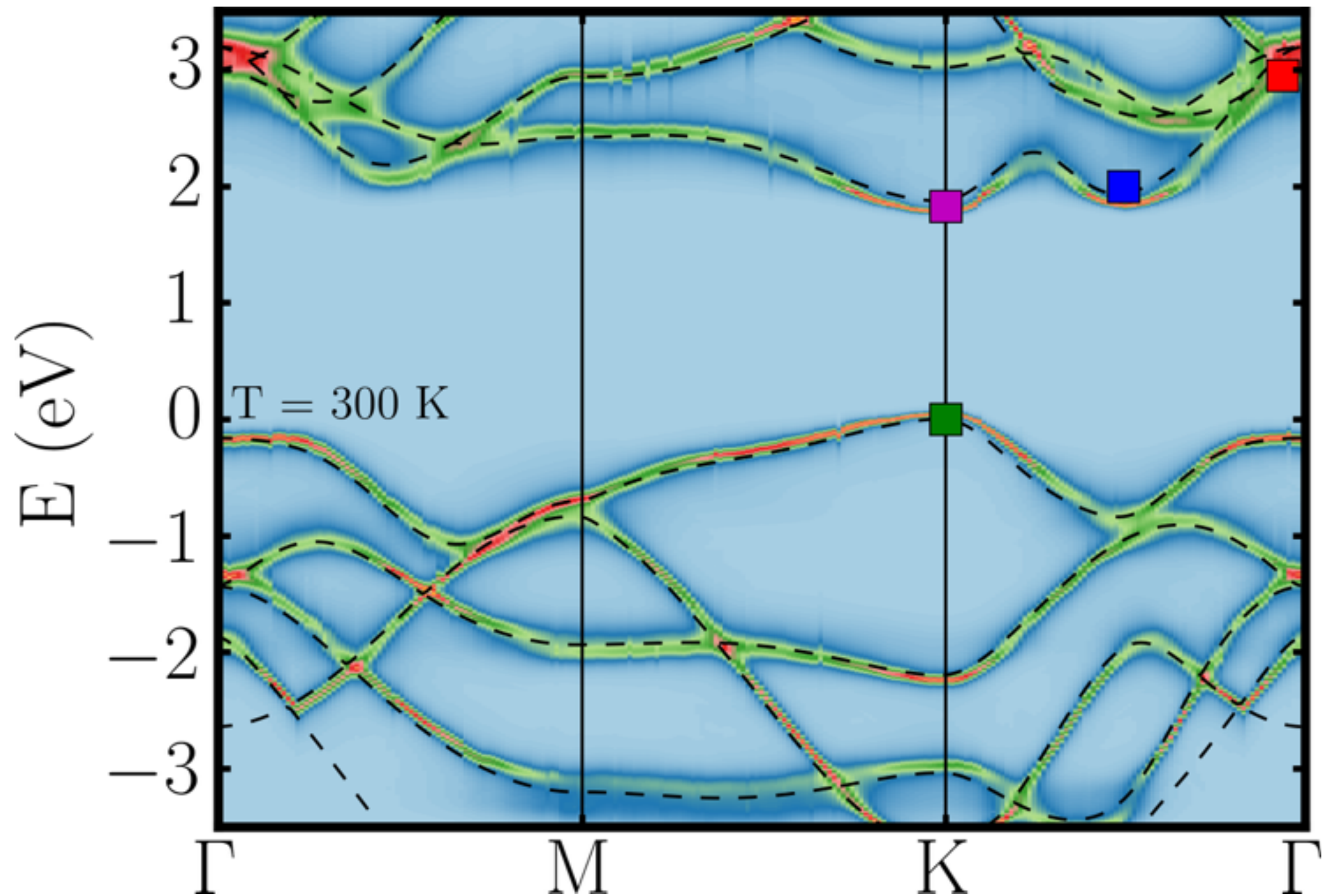
# Single-layer MoS



Bandgap renormalization

Breakdown QP approx.

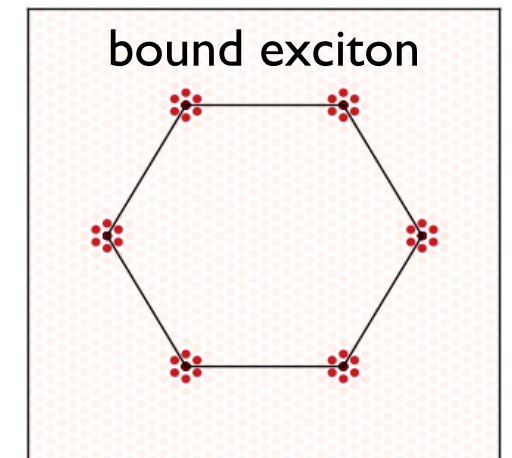
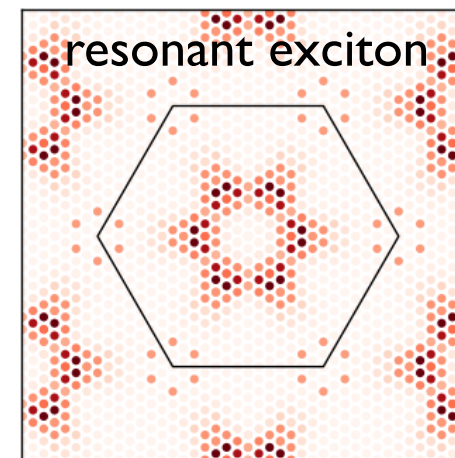
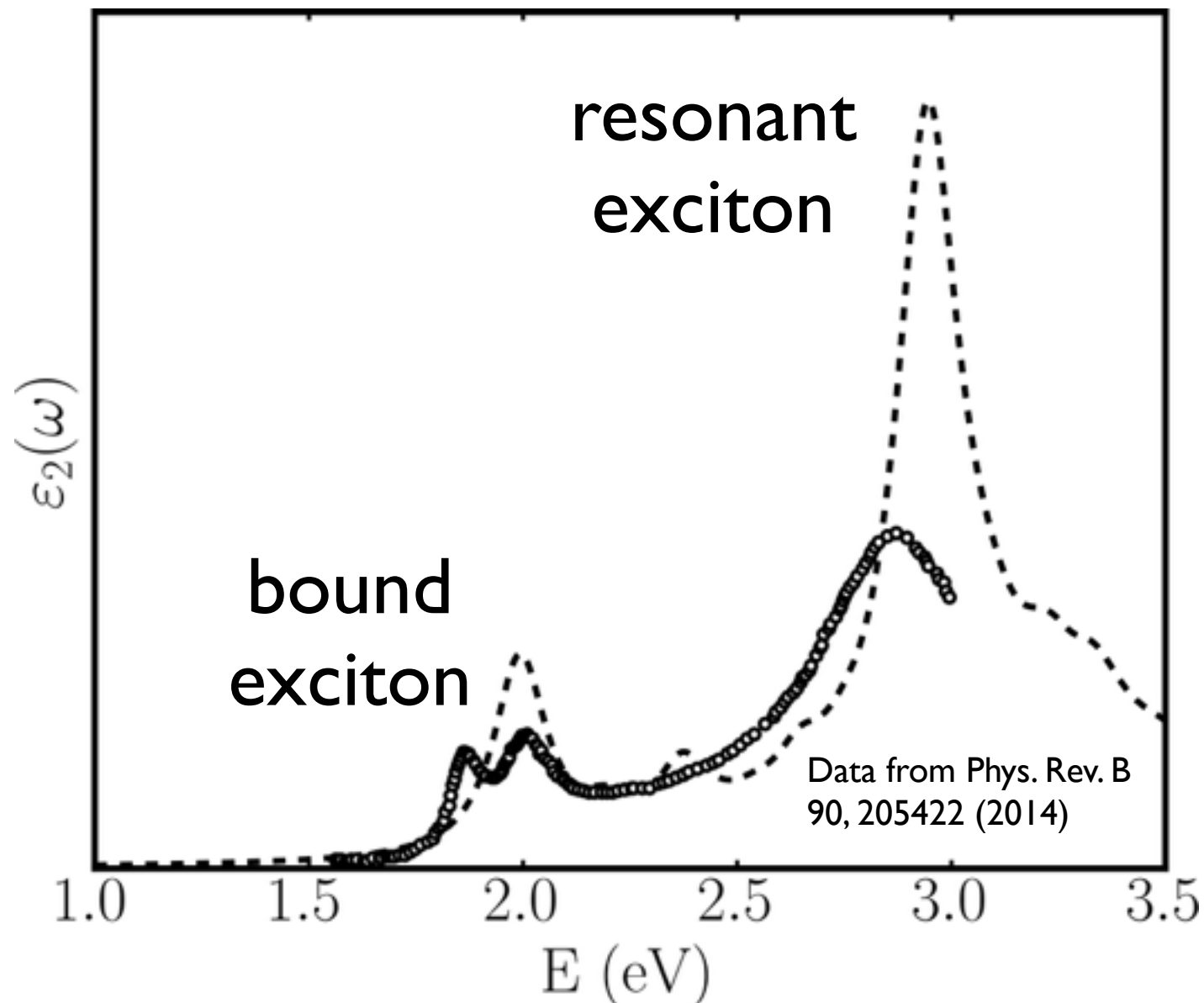
# Single-layer MoS



What about optical properties (excitons) ?

# Excitons at finite temperature

$$H_{ee',hh'}^{FA} = (E_e - E_h)\delta_{eh,e'h'} + (f_e - f_h)\Xi_{ee',hh'}$$



Experiments show lines  
with different  
broadenings

Spectra usually obtained  
at room temperature

Homogeneous broadening for all the peaks



# Excitons at finite temperature

$$H_{ee',hh'}(T) = H_{ee',hh'}^{FA} + [\Delta E_e(T) - \Delta E_h(T)] \delta_{eh,e'h'}$$

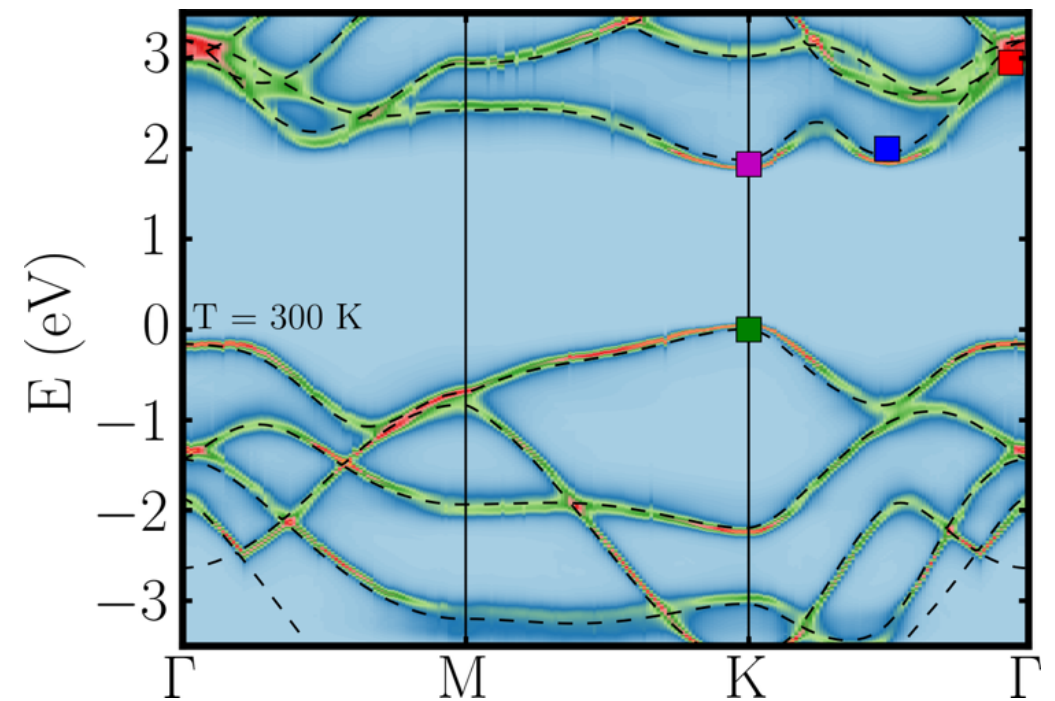
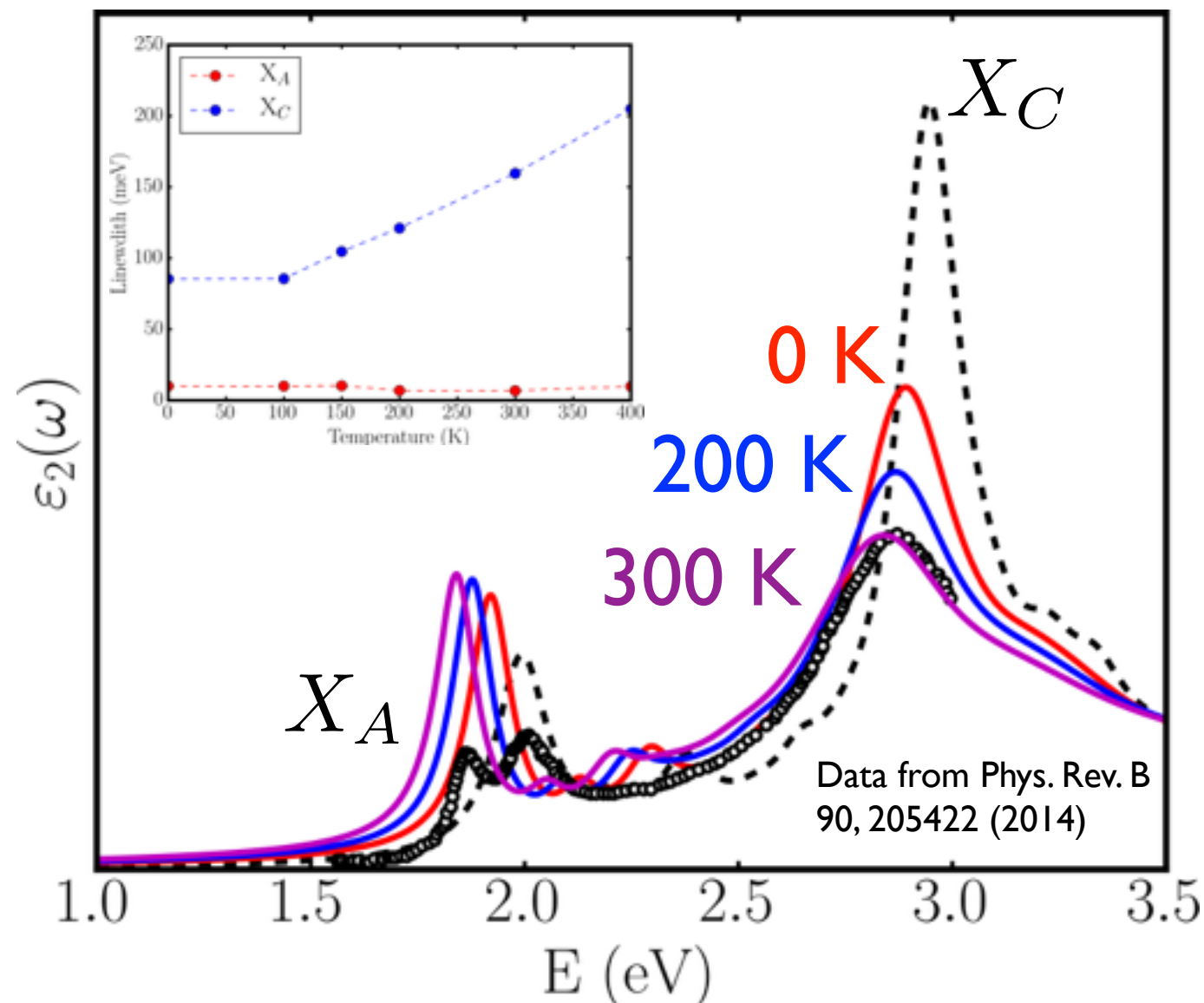
Bethe-Salpeter Hamiltonian is not hermitian  
Excitons acquire a finite lifetime



# Excitons at finite temperature

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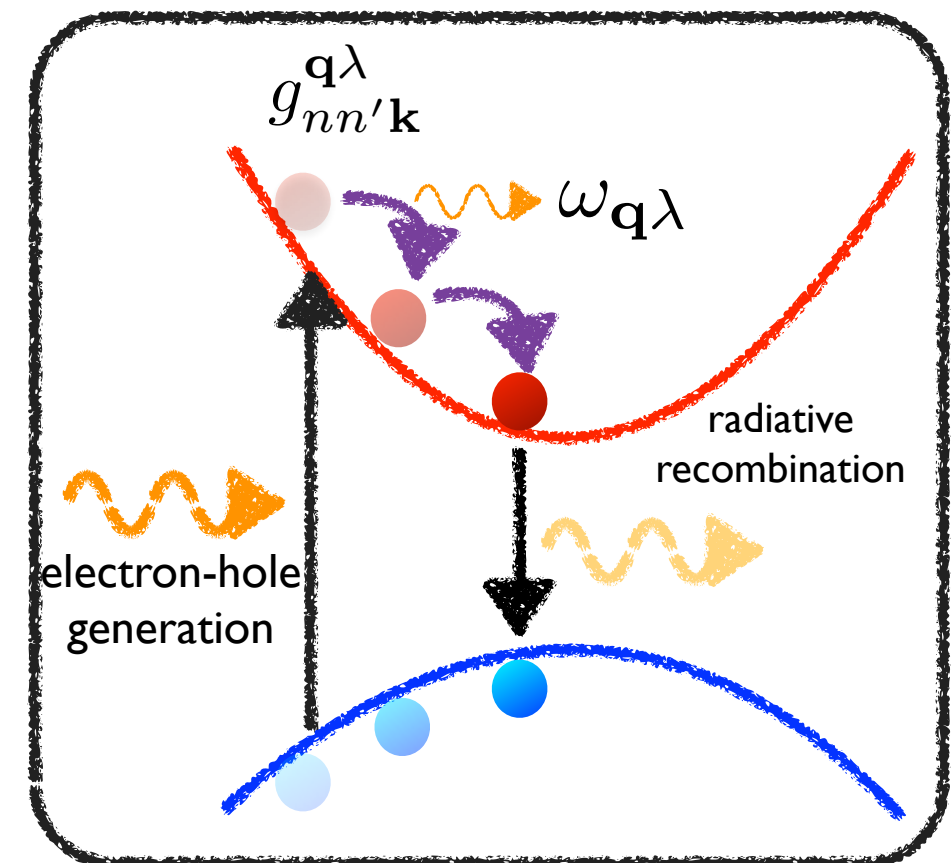
# Conclusions and ongoing work

Temperature effects are important for an accurate bandgap value and for a realistic description of the bands

Breakdown of quasiparticle approximation

Lifetime of quasiparticles (excitons)

Carrier relaxation for ultra-fast optics



# Acknowledgements



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# Carrier relaxation for ultra-fast optics

